

Antennas in Radio Astronomy

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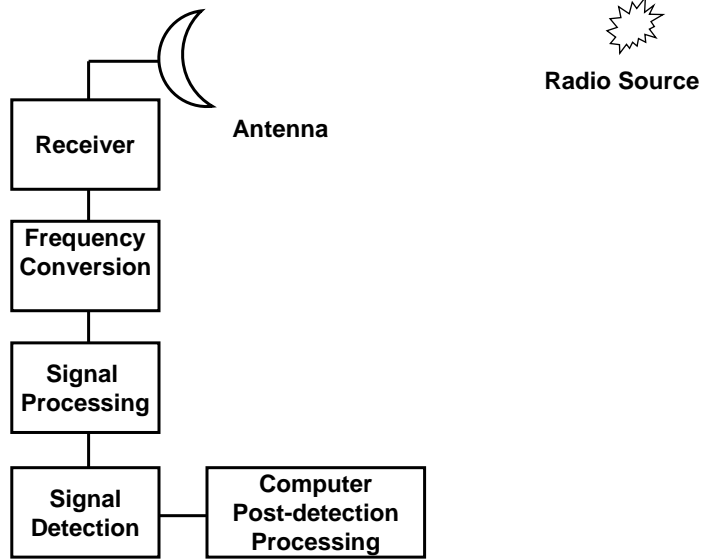
Outline

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- Interferometer block diagram
- Antenna fundamentals
- Types of antennas
- Antenna performance parameters
- Receivers

Radio Telescope Block Diagram

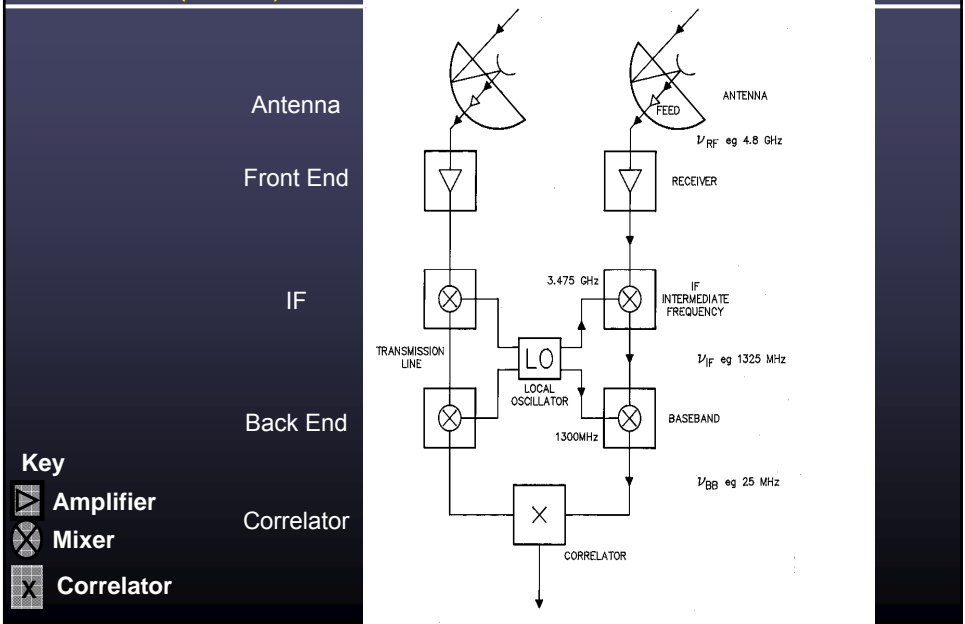
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E.g., VLA observing at 4.8 GHz (C band)

Interferometer Block Diagram

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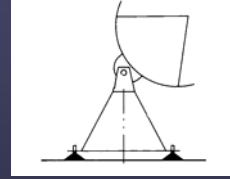


- Key**
-  Amplifier
 -  Mixer
 -  Correlator

Importance of the Antenna Elements

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- Antenna amplitude pattern causes amplitude to vary across the source.
- Antenna phase pattern causes phase to vary across the source.
- Polarization properties of the antenna modify the apparent polarization of the source.
- Antenna pointing errors can cause time varying amplitude and phase errors.
- Variation in noise pickup from the ground can cause time variable amplitude errors.
- Deformations of the antenna surface can cause amplitude and phase errors, especially at short wavelengths.



General Antenna Types

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Wavelength > 1 m (approx)

Wire Antennas

Dipole



Yagi

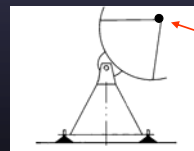


Helix
or arrays of these



Wavelength < 1 m (approx)

Reflector antennas



Feed

Wavelength = 1 m (approx) Hybrid antennas (wire reflectors or feeds)

Basic Antenna Formulas

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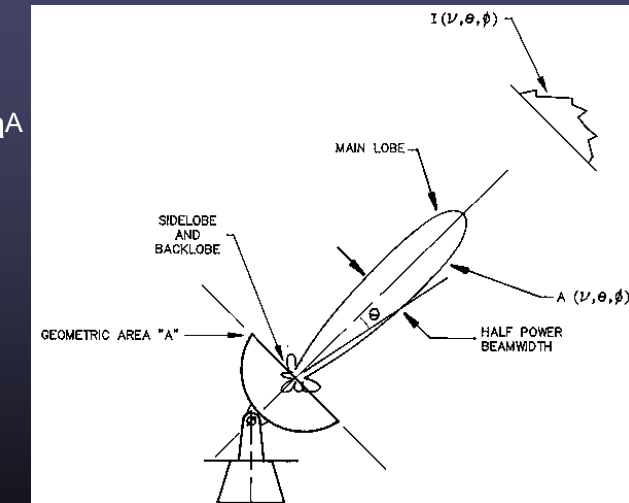
Effective collecting area $A(\nu, \theta, \phi)$ m²

On-axis response $A_0 = \eta A$
 η = aperture efficiency

Normalized pattern (primary beam)
 $A(\nu, \theta, \phi) = A(\nu, \theta, \phi)/A_0$

Beam solid angle
 $\Omega_A = \iint_{\text{all sky}} A(\nu, \theta, \phi) d\Omega$

$$A_0 \Omega_A = \lambda^2$$



λ = wavelength, ν = frequency

Aperture-Beam Fourier Transform Relationship

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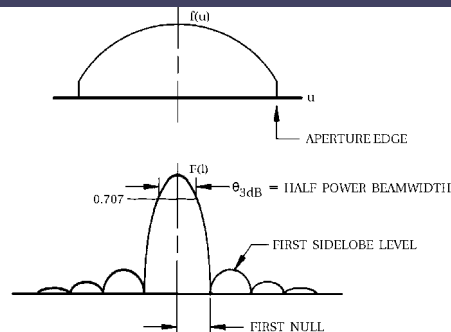
$f(u, v)$ = complex aperture field distribution
 u, v = aperture coordinates (wavelengths)

$F(l, m)$ = complex far-field voltage pattern
 $l = \sin\theta\cos\phi$, $m = \sin\theta\sin\phi$

$$F(l, m) = \iint_{\text{aperture}} f(u, v) \exp(2\pi i(ul + vm)) du dv$$

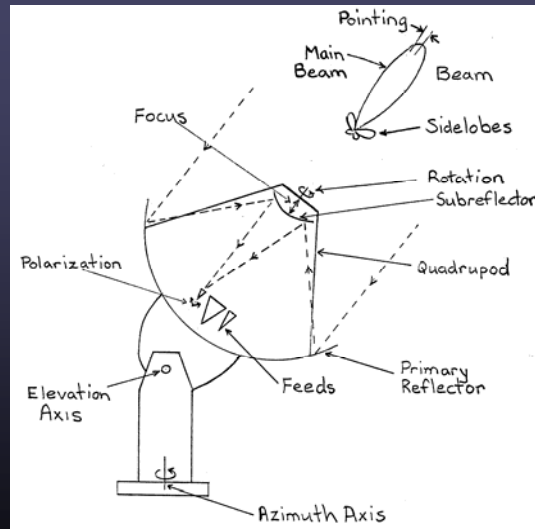
$$f(u, v) = \iint_{\text{hemisphere}} F(l, m) \exp(-2\pi i(ul + vm)) dl dm$$

For VLA: $\theta_{3dB} = 1.02/D$, First null = $1.22/D$,
 D = reflector diameter in wavelengths



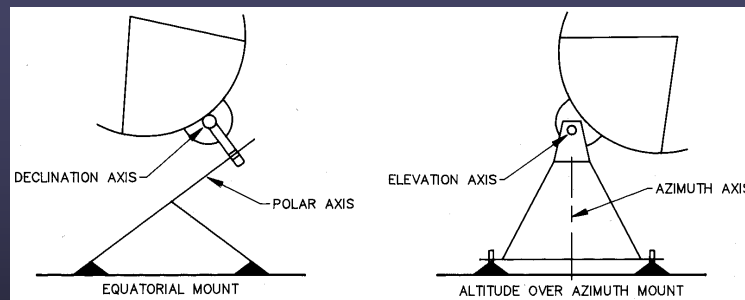
Primary Antenna Key Features

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Types of Antenna Mount

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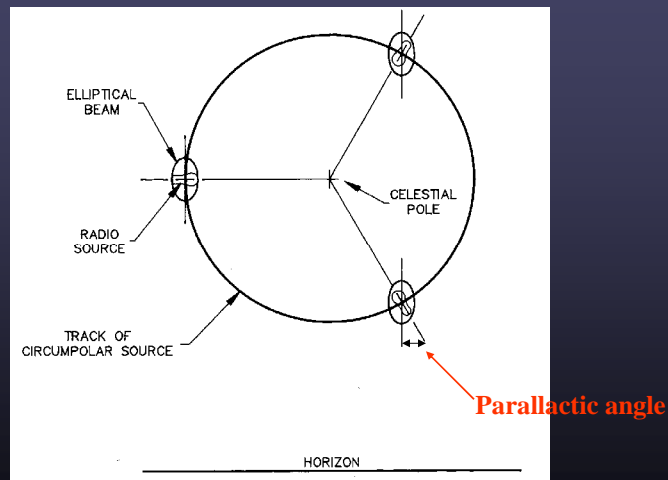


- + Beam does not rotate
- + Better tracking accuracy
- Higher cost
- Poorer gravity performance
- Non-intersecting axis

- + Lower cost
- + Better gravity performance
- Beam rotates on the sky

Beam Rotation on the Sky

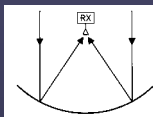
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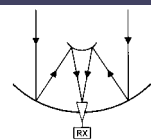
Reflector Types

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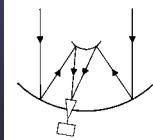
Prime focus
(GMRT)



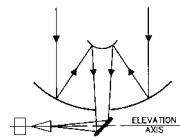
Cassegrain focus
(AT, ALMA)



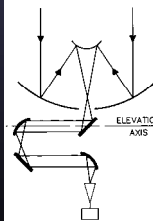
Offset Cassegrain
(VLA, VLBA)



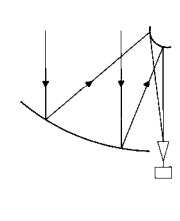
Naysmith
(OVRO)



Beam Waveguide
(NRO)



Dual Offset
(ATA, GBT)



Reflector Types

13

Prime focus
(GMRT)



Cassegrain focus
(AT)



Offset Cassegrain
(VLA)



Naysmith
(OVRO)



Beam Waveguide
(NRO)

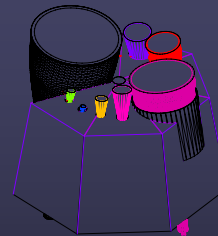


Dual Offset
(ATA)



VLA and EVLA Feed System Design

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Antenna Performance Parameters

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Aperture Efficiency

$$A_0 = \eta A, \eta = \eta_{sf} \times \eta_{bl} \times \eta_s \times \eta_t \times \eta_{misc}$$

η_{sf} = reflector surface efficiency

η_{bl} = blockage efficiency

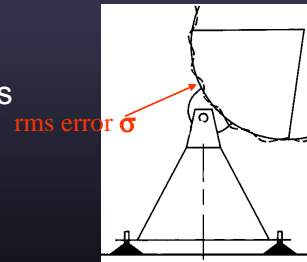
η_s = feed spillover efficiency

η_t = feed illumination efficiency

η_{misc} = diffraction, phase, match, loss

$$\eta_{sf} = \exp(-4\pi\sigma/\lambda^2)$$

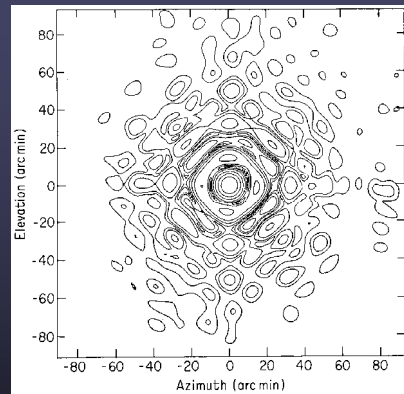
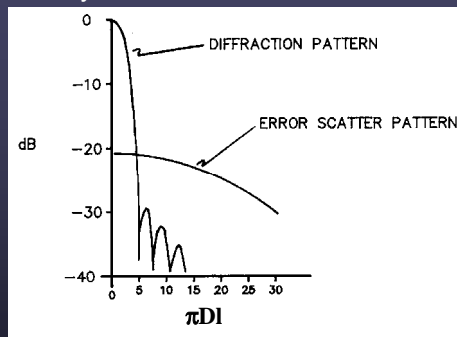
e.g., $\sigma = \lambda/16$, $\eta_{sf} = 0.5$



Antenna Performance Parameters

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Primary Beam



$l = \sin(\theta)$, D = antenna diameter in wavelengths

$dB = 10\log(\text{power ratio}) = 20\log(\text{voltage ratio})$

For VLA: $\theta_{3dB} = 1.02/D$, First null = $1.22/D$

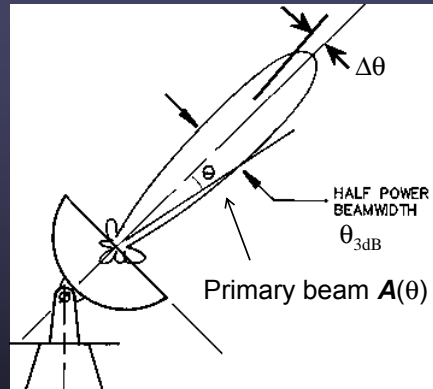
Antenna Performance Parameters

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Pointing Accuracy

$\Delta\theta$ = rms pointing error

Often $\Delta\theta < \theta_{3dB} / 10$ acceptable
Because $A(\theta_{3dB} / 10) \sim 0.97$
BUT, at half power point in beam
 $A(\theta_{3dB} / 2 \pm \theta_{3dB} / 10) / A(\theta_{3dB} / 2) = \pm 0.3$

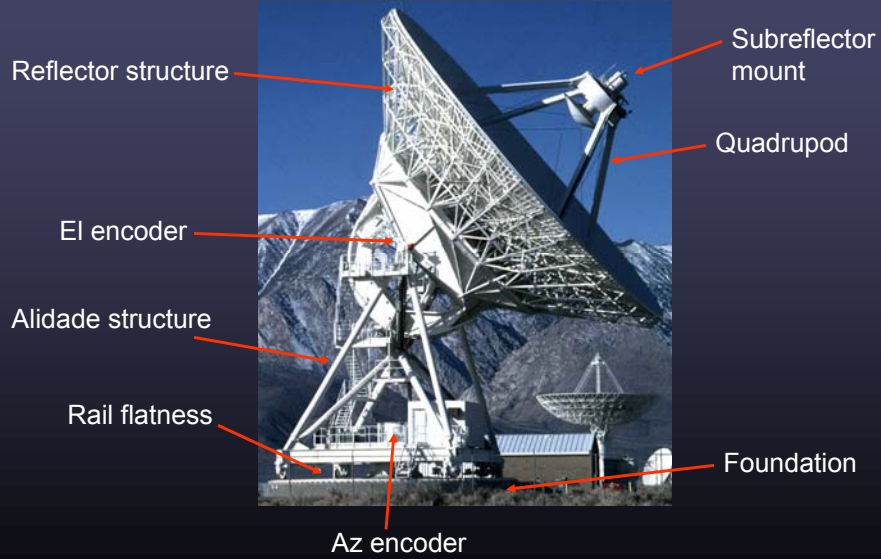


For best VLA pointing use Reference Pointing.

$\Delta\theta = 3 \text{ arcsec} = \theta_{3dB} / 17 @ 50 \text{ GHz}$

Antenna Pointing Design

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ALMA 12m Antenna Design

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Surface: $\sigma = 25 \mu\text{m}$
Pointing: $\Delta\theta = 0.6 \text{ arcsec}$

Carbon fiber and invar
reflector structure

Pointing metrology structure
inside alidade



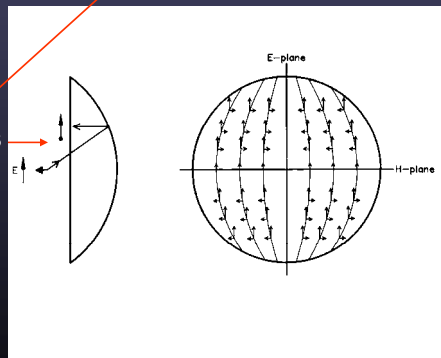
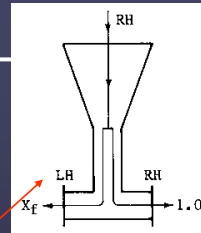
Antenna Performance Parameters

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Polarization

Antenna can modify the apparent
polarization properties of the source:

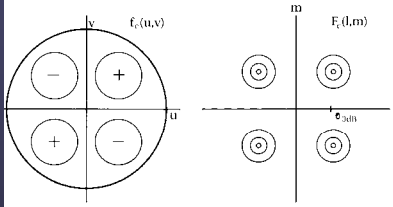
- Symmetry of the optics
- Quality of feed polarization splitter
- Circularity of feed radiation patterns
- Reflections in the optics
- Curvature of the reflectors



Off-Axis Cross Polarization

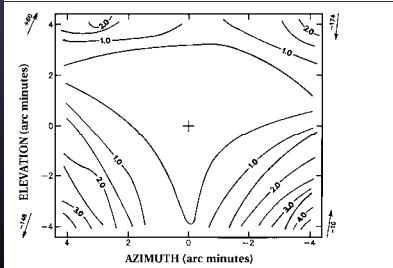
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Cross polarized
aperture distribution



Cross polarized
primary beam

VLA 4.8 GHz
cross polarized
primary beam



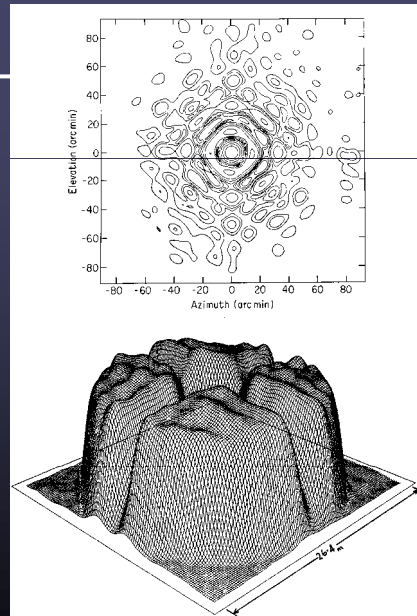
Antenna Holography

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VLA 4.8 GHz

Far field pattern amplitude
Phase not shown

Aperture field distribution
amplitude.
Phase not shown



Receivers

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Noise Temperature

Matched load
Temp T (°K)



Rayleigh-Jeans approximation

$$P_{in} = k_B T \Delta v \text{ (W)},$$

k_B = Boltzman's constant ($1.38 \cdot 10^{-23}$ J/°K)

When observing a radio source $T_{total} = T_A + T_{sys}$

T_{sys} = system noise when not looking
at a discrete radio source

T_A = source antenna temperature

$T_A = \eta AS / (2k_B) = KS$ S = source flux (Jy)

Receivers (cont)

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$T_A = \eta AS / (2k_B) = KS$ S = source flux (Jy)

SEFD = system equivalent flux density

SEFD = T_{sys} / K (Jy)

EVLA Sensitivities

Band (GHz)	η	T_{sys}	SEFD
1-2	.50	21	236
2-4	.62	27	245
4-8	.60	28	262
8-12	.56	31	311
12-18	.54	37	385
18-26	.51	55	606
26-40	.39	58	836
40-50	.34	78	1290

Equation 3-8: replace u,v with l,m

Figure 3-7: abscissa title should be $\pi D l$