Winds Driven by Massive Star Clusters by Sergiy Silich INAOE, Mexico

A self-consistent stationary solution for spherically symmetric winds driven by compact star clusters is presented. The impact of strong radiative cooling on the internal wind structure and its expected appearance in the X-ray and visible line regimes are discussed.

In collaboration with

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References to:

Silich, Tenorio-Tagle & Muñoz-Tuñon, 2003, ApJ, 590, 791 Tenorio-Tagle, Silich & Muñoz-Tuñon, 2003, ApJ, 597, 279

1. The steady-state wind solution (adiabatic).

Chevalier & Clegg, 1985



The energy deposited by stellar winds and SNe explosions is fully thermalized via random collisions. This generates the large central overpressure that accelerates the ejected matter out of the star cluster volume.

Three parameters Lw, Mw and Rsc completely define free wind expansion.

There is an analytic solution (Chevalier & Clegg, 1985; Canto et al. 2000). The wind central density, pressure and temperature are known

 $\rho_{c} = \frac{\dot{M}_{w}}{4 p A R_{sc}^{2} V}; \quad P_{c} = \frac{\gamma - 1}{2 \gamma} \frac{\dot{M}_{w} V_{\infty}}{4 p A R_{sc}^{2}}; \quad T_{c} = \frac{(\gamma - 1)\mu}{\gamma k} \frac{Lw}{\dot{M}_{w}}; V_{\infty} = (2Lw/\dot{M}w)^{1/2}.$

Using these initial values one can integrate the basic equations numerically and reproduce the analytic solution throughtout the space volume.



2. The steady-state radiative solution.

The highly non-linear character of the cooling function inhibits the analytic solution.

The key problem is: how to integrate the basic equations if initial conditions are not known?

How to define the central values?



2. The steady-state radiative solution.

How to integrate the basic equations



3. Unphysical double-valued solution, Rsonic<Rsc

In the adiabatic case Resonic = $\frac{6 \gamma}{\gamma - 1} = \frac{4 \rho r}{\sqrt{2q_e q_m}}$

In the radiative case the central density and temperature are not independent $n_{c} = \sqrt{\left(q_{e} - \frac{q_{m}}{v-1} c_{c}^{2}\right) / \Lambda(T_{c})}$

 ${\bf q}_{\rm e}$ and ${\bf q}_{\rm m}$ are energy and mass deposition rates per unit volum. $\Lambda(T)$ is the cooling function.

Pc cannot exceed a maximum value, R_{sonic} has a maximum,

Rsonic,max, for any given set of star cluster parameters.

The stationary solution does not exist if Rsc > Rsonic,max



3. The critical energy input rate

For any given ratio $\eta = q_e / q_m$ (in the adiabatic case this ratio defines the terminal wind velocity) there is a **critical energy deposition** rate L_{crit} .



4. The internal wind structure



No extended X-ray emission

Broad emission line component

Figure 2. Temperature profiles for progressively larger energy deposition rates $(1, 5, 8) \times 10^{40}$ erg s⁻¹, respectively.

Quasi-adiabatic

Cooling modifies the internal wind structure bringing the boundary of the X-ray zone and low temperature halo closer to the wind center. This promotes the establishment of a fast moving ionized envelope which may be observed as a weak and broad line emission component at the base of much narrower line caused by the central HII region.

The Arches cluster.

Arches cluster 8 Stevens & Hartwell (2003) $T = 5 \times 10^{6} K$ 7 6 Log[T_{*}(K)] Raga et al. (2001) $T = 5 \times 10^{6} K$ 2 Z 8 9 10 п .3 R(pc)

Star cluster wind evolves in the quasi-adiabatic regime

Observational properties

(Serabyn et al. 1998 ; Yusef-Zadeh et al. 2002)

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R = 0.2 \, pc
                                  35
Lxray (0.2-10keV) \approx 4x10 erg s
 Stevens & Hartwell model (2003):
 L<sub>sc</sub> = 1.8x10 erg s
 M_{sc} = 7.3 \times 10^{-1} M_{o} yr
 V_{w} = 2810 \text{ km s}^{-1}
  L<sub>Xray</sub>= 10<sup>°</sup> erg s
  Raga et al. model (2001):
  L_{sc} = 4.25 \times 10^{38} \text{ erg s}^{-1}
  M_{sc} = 6 \times 10^{-4} M_{o} yr^{-1}
  V_{\rm w} = 1500 \, \rm km \, s^{-1}
                     35
                          erg s<sup>-1</sup>
  L_{Xray} = 3 \times 10^{-1}
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The nucleus of NGC4303



Observational properties

(Colina et al. 2002; Jimenez-Bailon et al. 2003)

$$R_{sc}$$
= 1.55 pc
 M_{sc} = 10⁵ M_o
kTxray = 0.65 keV
LHα=1.2x10³⁹ erg s⁻¹
Lxray (0.2-2keV) ≈ 1.7x10³⁸ erg s⁻¹

Z=Zsol model predictions

$$L_{sc} = 3x10^{39} \text{erg s}^{-1}$$

$$V_w = 715 \text{ km s}^{-1}$$

$$L_{xray} = 1.3x10^{38} \text{ erg s}^{-1}$$

Broad component luminosity :

$$L_{H\alpha} = 1.5x10^{36} \text{ erg s}^{-1}; L_{Br\gamma} = 1.4x10^{34} \text{ erg s}^{-1}$$

The wind temperature begins deviate from the adiabatic model already at \approx 6 pc radius.

The expected luminosity of the broad component is \approx 0.1% of the core H α emission.

5. Galactic winds driven by multiple SSCs



Each SSC is a source of a high-metallicity supersonic outflow.

Tenorio-Tagle et al. 2003

The interection of winds from neighboring SSCs lead to a collection of oblique shocks that collimate their outflows into a network of dense and cold filaments embedded into a hot X-ray environment.



4. Conclusions

- **1. We have found a self-consistent stationary solution for radiative winds driven by individual super-star clusters.**
- **2. Our model predicts:**
 - An internal wind structure that is radically different from the adiabatic solution. This implies:
 - a much less extended region of X-ray emission;
 - instead there is a photo-ionized gaseous halo that should be detected as a week and broad emission line component at the base of the narrow component caused by the central HII region;
- **3.** The interection of multiple winds collimates galactic wind outflows and forms a network of dense and cold filaments embedded into a hot X-ray environment.